



Fig. 4. Serial polyaxis by nested combination. Ia, $\langle 3*3 \rangle$; Ib, $\langle \langle 3*3*3 \rangle * 2*2*2 \rangle$; Ic \rightarrow Id, $\langle 3*3*3 \rangle$; Ie, $\langle \langle 3*3*3 \rangle * 3*3*3 \rangle$; IIa, $\langle 2*2*2 \text{close} \rangle$; IIb, $\langle \langle 4*4*4 \rangle * 2*2*2 \rangle$; IIc, $\langle 4*4*4(1, 1, 1)-(1, 1, 4) \rangle$; IId, $\langle 4*4*4(1, 1, 1)-(4, 4, 4) \rangle$; IIE, $\langle \langle \text{Iic} + \text{IId} \rangle * 2*2*2 \rangle$; IIIa, $\langle 2*2*2(1, 1, 1)-(2, 2, 2) \rangle$; IIIb, $\langle 3*3*3(1, 1, 1)-(3, 3, 3) \rangle$; IIIc, Combo<IIIa/IIIb>; IIIe, Combo<IIIe/Ie>.

6. Serial Polyaxis $\langle \langle 5*5*5 \rangle * p*q*r \rangle$

A $\langle \langle 5*5*5 \rangle * p*q*r \rangle$ serial polyaxis is constructed by a recursive method. Examples of the symmetrical patterns of a serial polyaxis are presented in Fig. 5 ($\langle 5*5(1, 1)-(5, 5) \rangle$). The modular serial polyaxis $\langle 5*5*5(1, 1, 1)-(5, 5, 5) \rangle$ is constructed using patterns of a $\langle 5*5(1, 1)-(5, 5) \rangle$ serial polyaxis. Similarly, a $\langle \langle 5*5*5(1, 1, 1)-(5, 5, 5) \rangle * 2*2*2 \rangle$ serial polyaxis is constructed using the $\langle 5*5*5(1, 1, 1)-(5, 5, 5) \rangle$ module polyaxis and a serial pattern of $\langle 2*2*2 \text{closed} \rangle$ serial polyaxes. A $\langle \langle 5*5*5(1, 1, 1)-(5, 5, 5) \rangle * 3*3*3 \rangle$ serial polyaxis can be constructed using $\langle 5*5*5(1, 1, 1)-(5, 5, 5) \rangle$ module polyaxes and a serial pattern of $\langle 3*3*3(1, 1, 1)-(3, 3, 3) \rangle$ serial polyaxes (Fig. 5).